

Nanotribology

Christiane Petzold

INM – Leibniz Insitute for New Materials

Nanotribology group

I

- Introduction to tribology
- Atomic force microscopy

II

- Materials and recent experiments in nanotribology

What is Nanotribology?

Tribo- → rubbing
-logy → speaking

Science of wear and friction

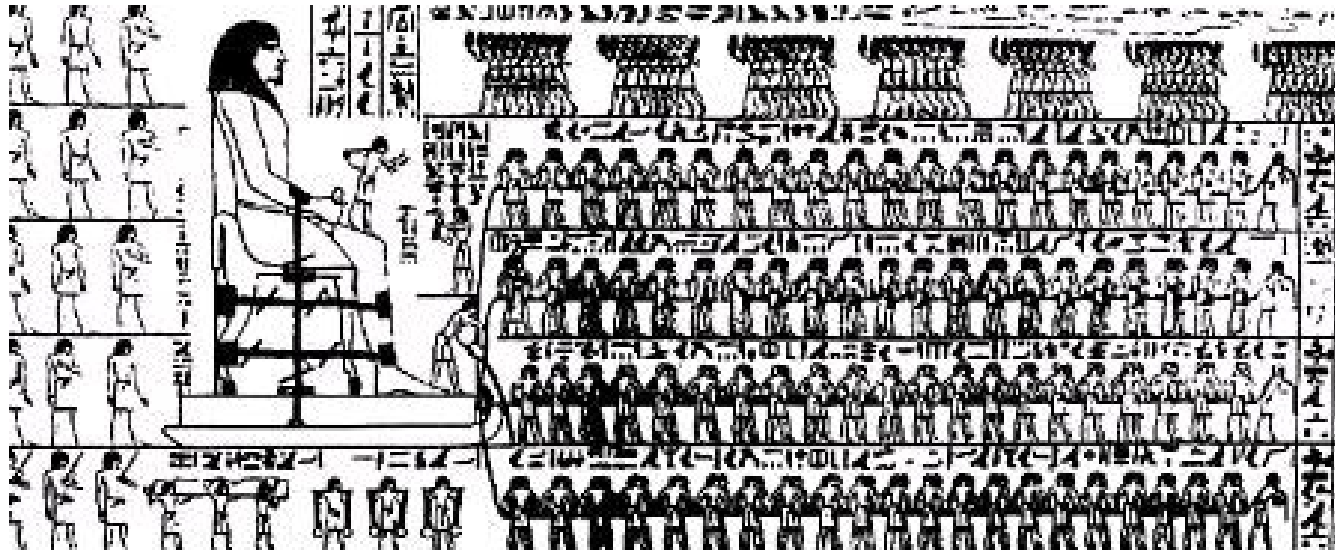
Types of friction:

- Dry friction
- Fluid friction (viscosity)
- Lubricated friction
- Internal friction (plastic deformation, bulk solids)
- Skin friction (drag, velocity dependence)

Scales of friction:

- Macro (movement of bodies)
- Meso (Stress, strain, wear, fracture)
- Micro/ Nano (Origin of friction, AFM, MEMS)

The first tribologist

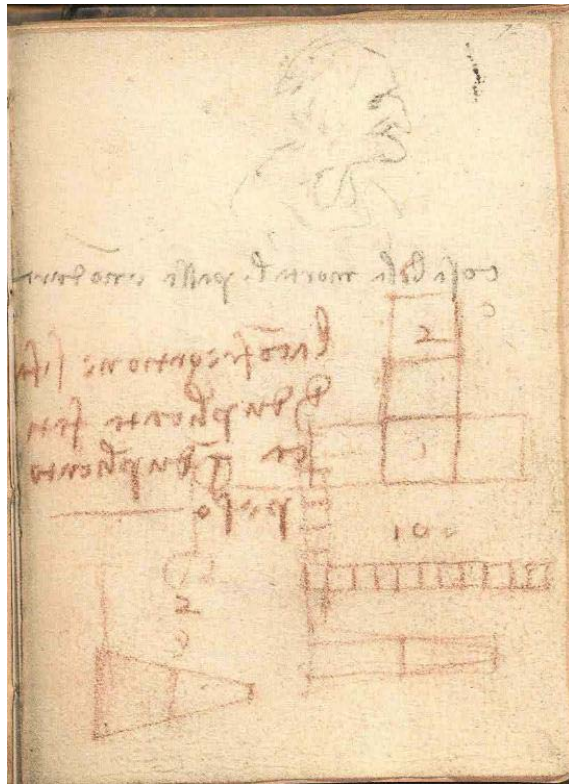


Transport of an Egyptian statue to the grave of Tehuti-Hetep, El-Bersheh around 1880 B.C. The caption indicates that water was used as a lubricant, while an inscription accompanying the picture mentions olive oil as a lubricant.

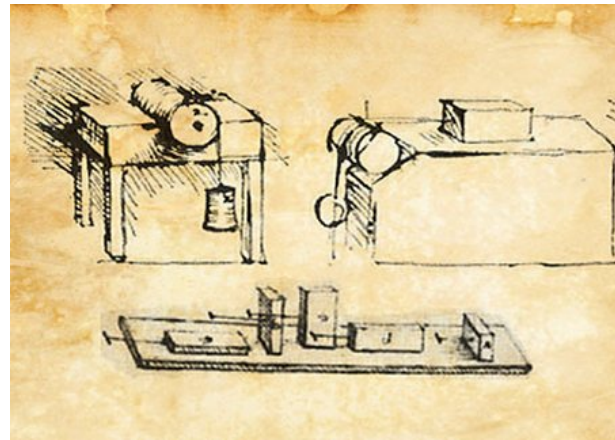
Three classical laws of friction

Unpublished results by da Vinci

Described again 1699 by Amontons
full description by Coulomb



First note and sketches relating to the laws of friction (probably 1493)



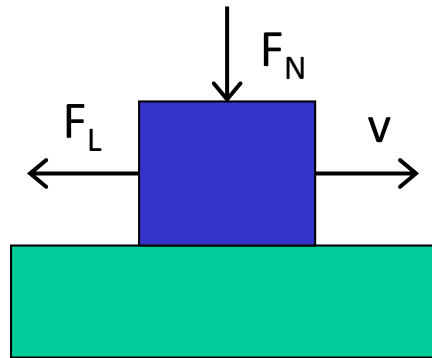
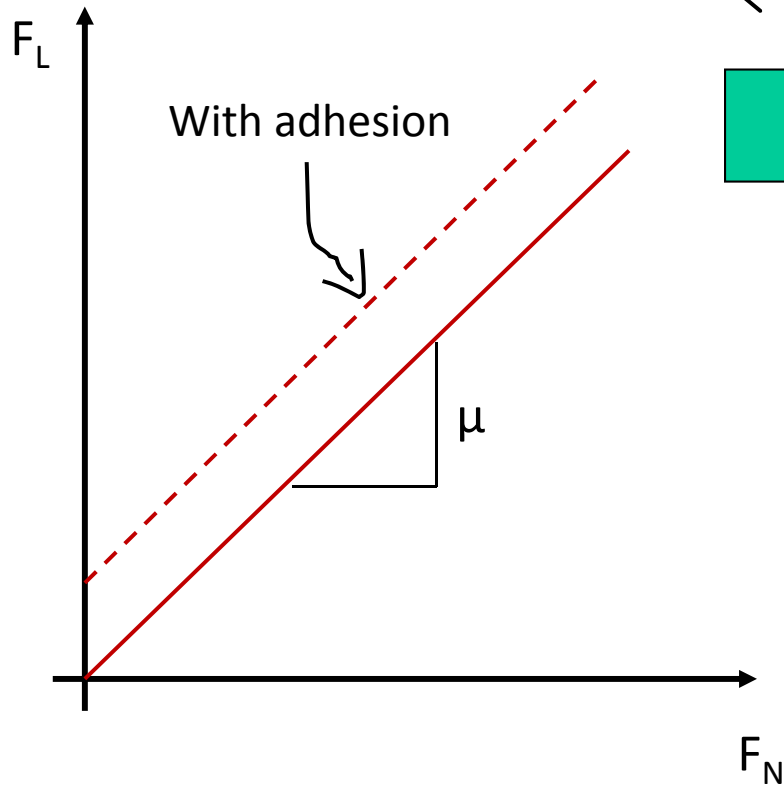
Sketches from two different notebooks (1500-1508)



Charles-Augustin de Coulomb

Classical laws of friction (1/3)

Load dependence



Slope μ – Friction coefficient

$$\mu = \frac{F_L}{F_N}$$

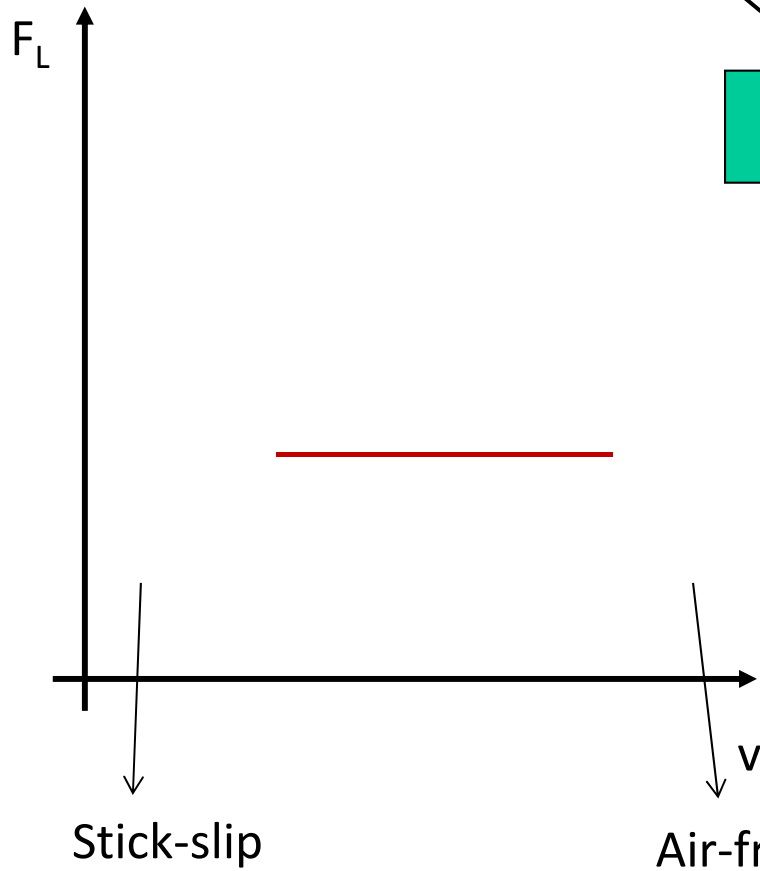
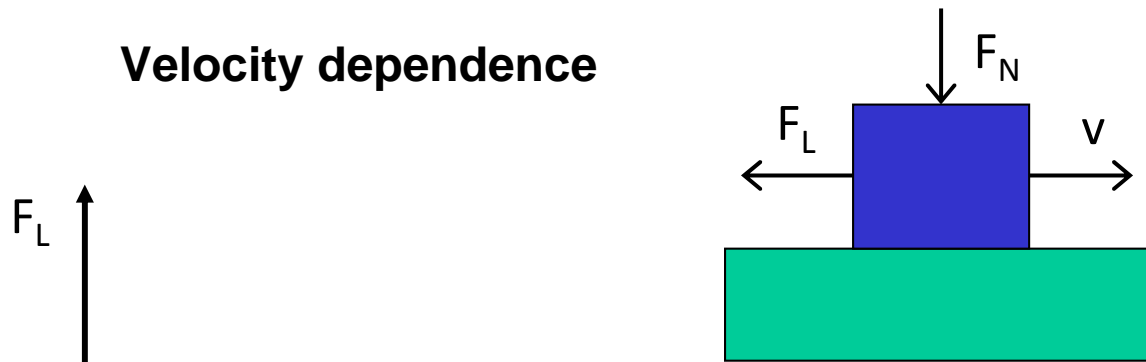
Question

What are typical friction coefficients ?

- Clean metal – clean metal 0.4 – 0.6
- Rubber – rubber 1
- Metal – metal in oil 0.01
- Metal – DLC 0.01
- Synovial fluid 0.003 – 0.01

Classical laws of friction (2/3)

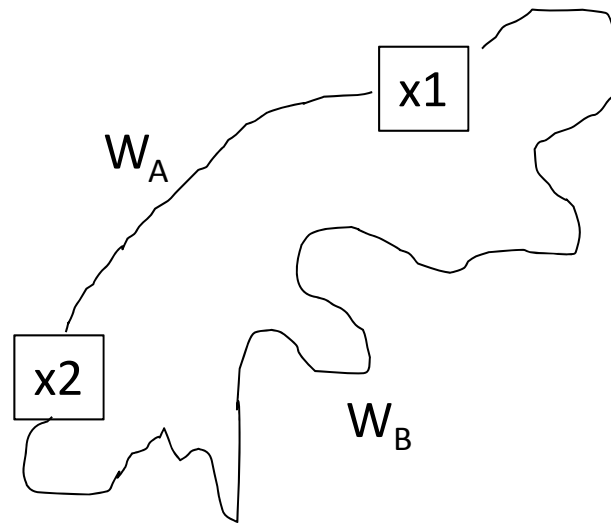
Velocity dependence



Friction is independent of velocity (for dry friction)

Work done against friction

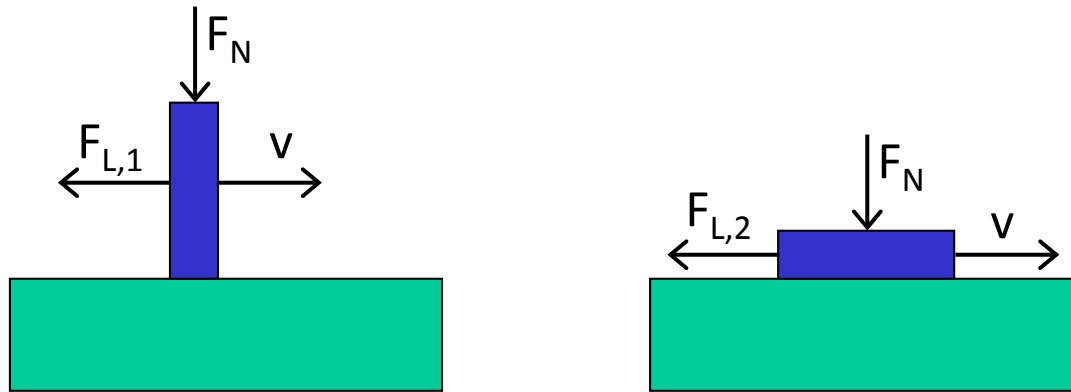
$$W = \int_{x_1}^{x_2} F_L dx$$



$$W_A \neq W_B$$

Classical laws of friction (3/3)

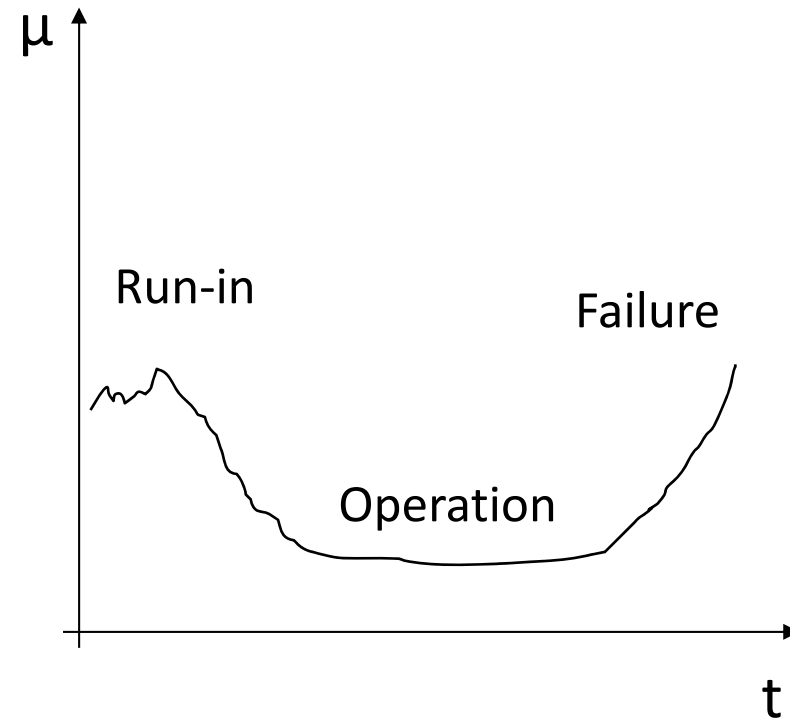
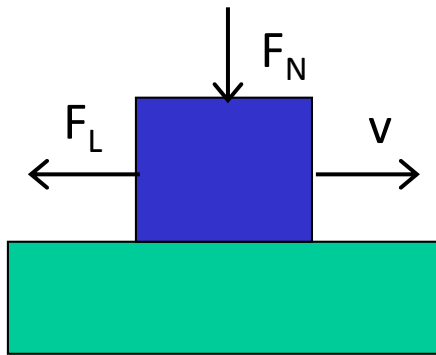
Dependence on contact area



$$F_{L,1} = F_{L,2}$$

Not dependent on geometric area of contact

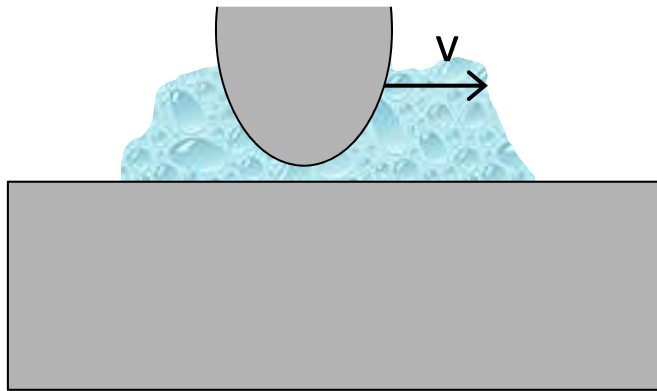
Experimental tribology



If we consider a real situation with bearings, lubricants and additives, relative motion and wear debris, we see a very complicated and messy problem.

Excursion 1: Lubrication

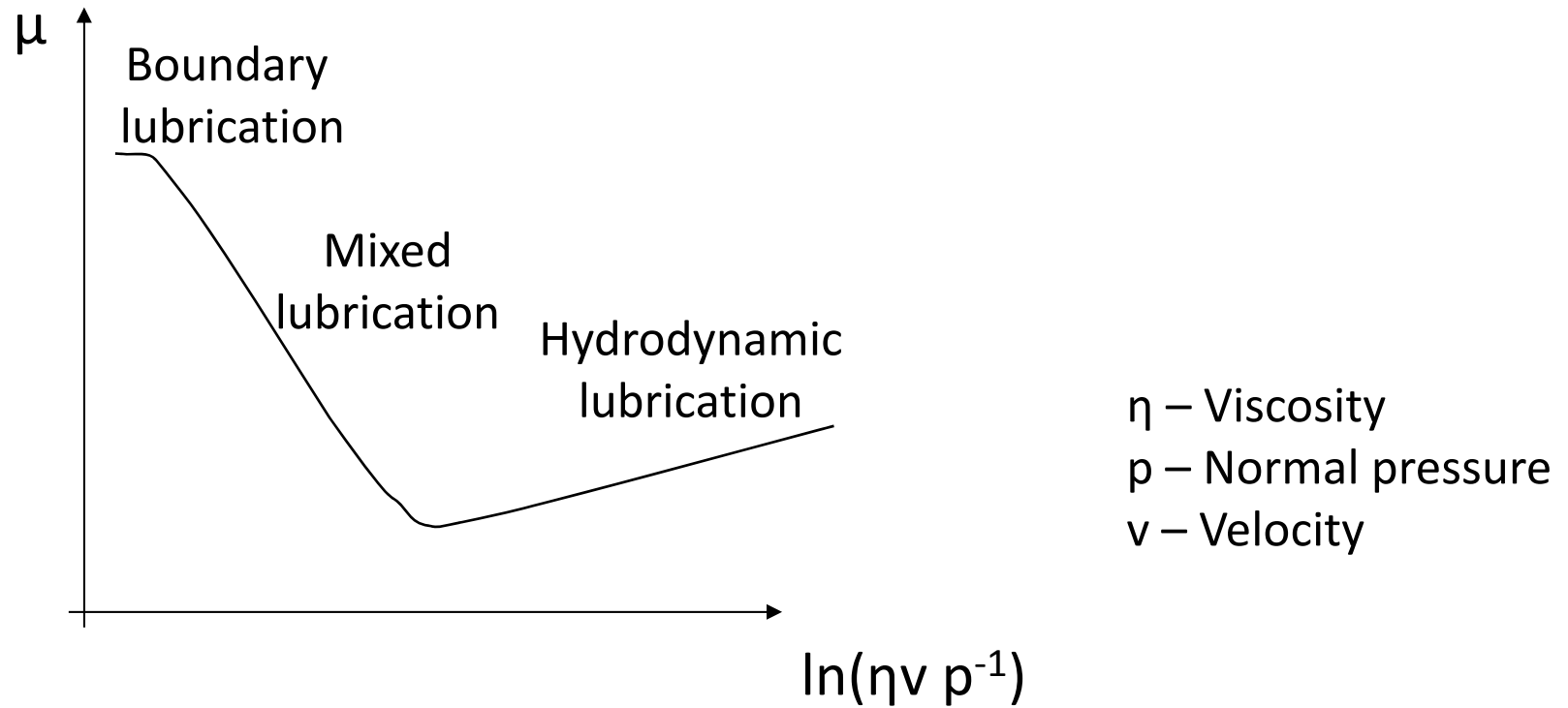
Addition of third material to avoid direct contact between sliding surfaces



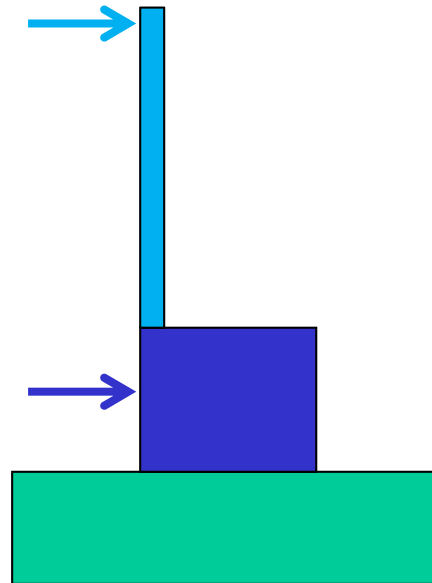
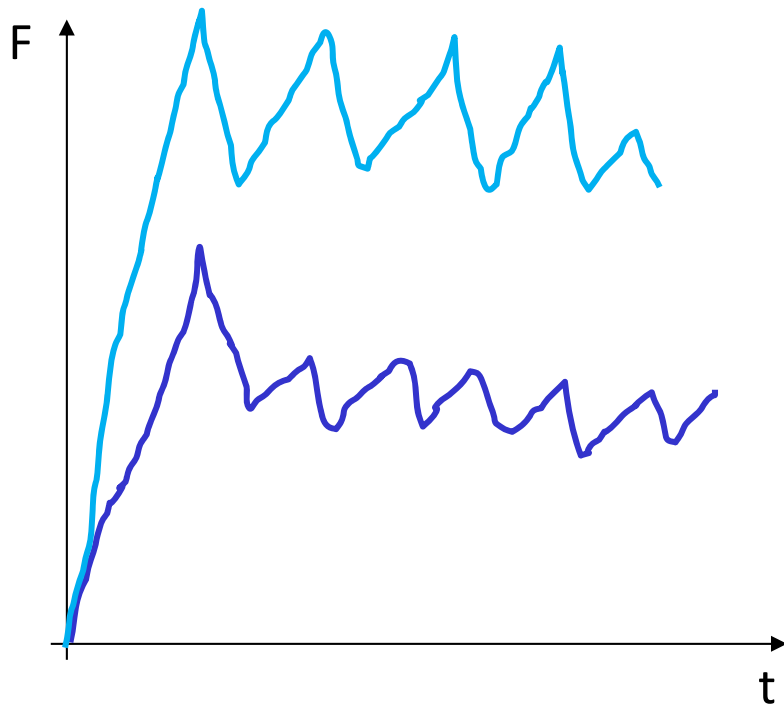
Why oil and not water for surface lubrication?

Excursion1: Stribeck curve

For lubricated contacts



Excursion 2: Construction



Frictional resistance is sum of ploughing and shearing

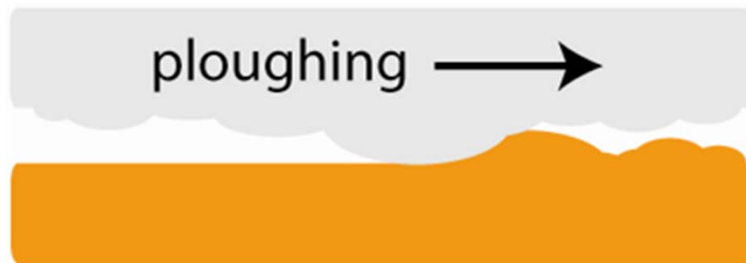


Adhesion is part of shearing

Excursion 3: Ploughing and friction

One material is harder than the other

Amount of friction force required often exceeds the adhesive strength



e.g. hard wedge with opening angle α is sliding over a soft flat surface:

$$\mu_{pl} = \cot \alpha$$

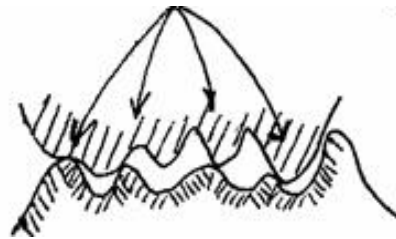
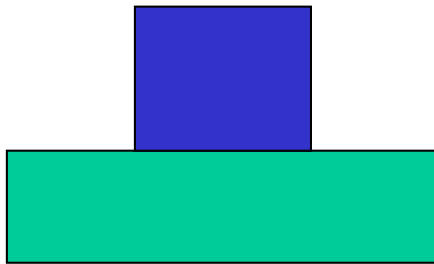


Description by Bowden and Tabor



Adhesion theory of friction

- Contact on small asperities
- Force is high enough to cause plastic deformation
- Plastic flow increases contact area



$$A_{real} \ll A_{geometric}$$

$$F_L = \tau \cdot A$$

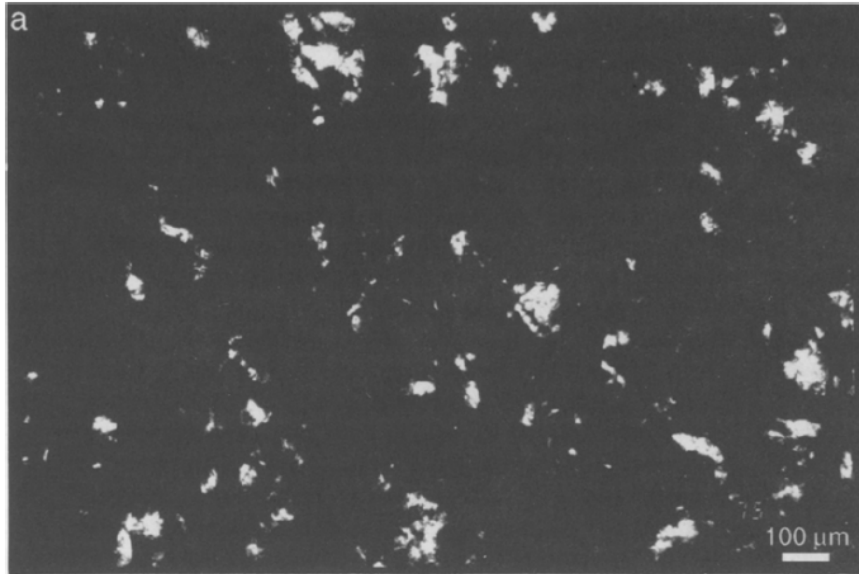
τ – Shear strength

$$\tau = \tau_0 + \alpha \frac{F_N}{A}$$

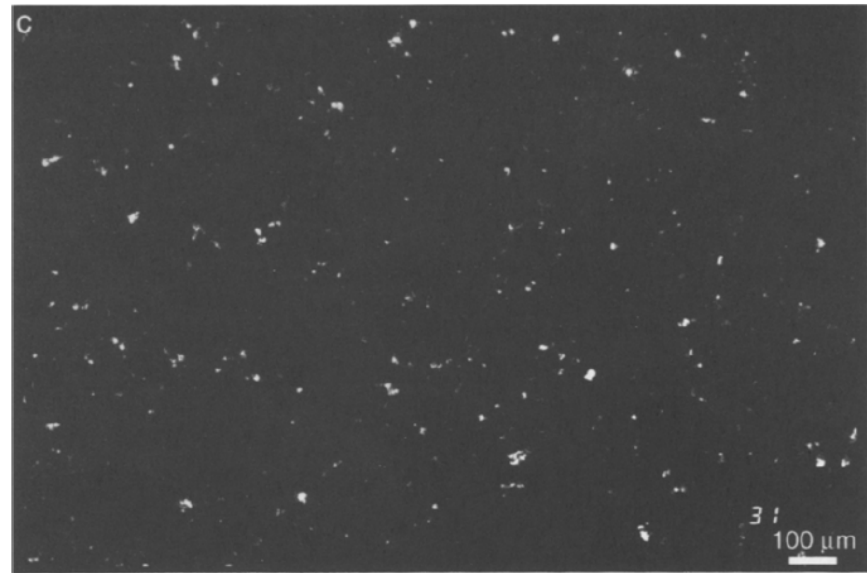
Weak dependence on normal pressure

A – Function of normal load $F_L \propto A \propto F_N$

Direct observation of contact area – acrylic plastic



#60 abrasive



#240 abrasive

Typical ratio $A / A_{\text{geometric}}$?

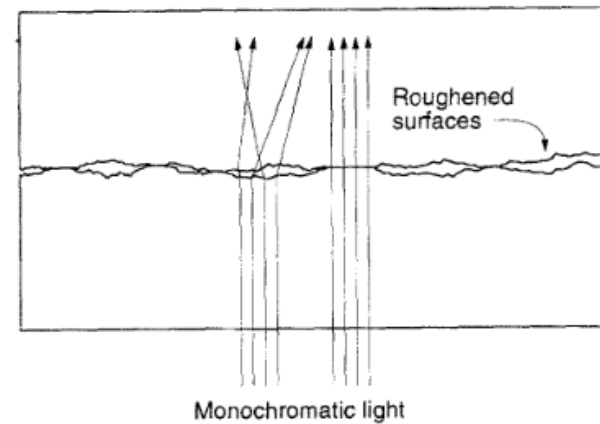
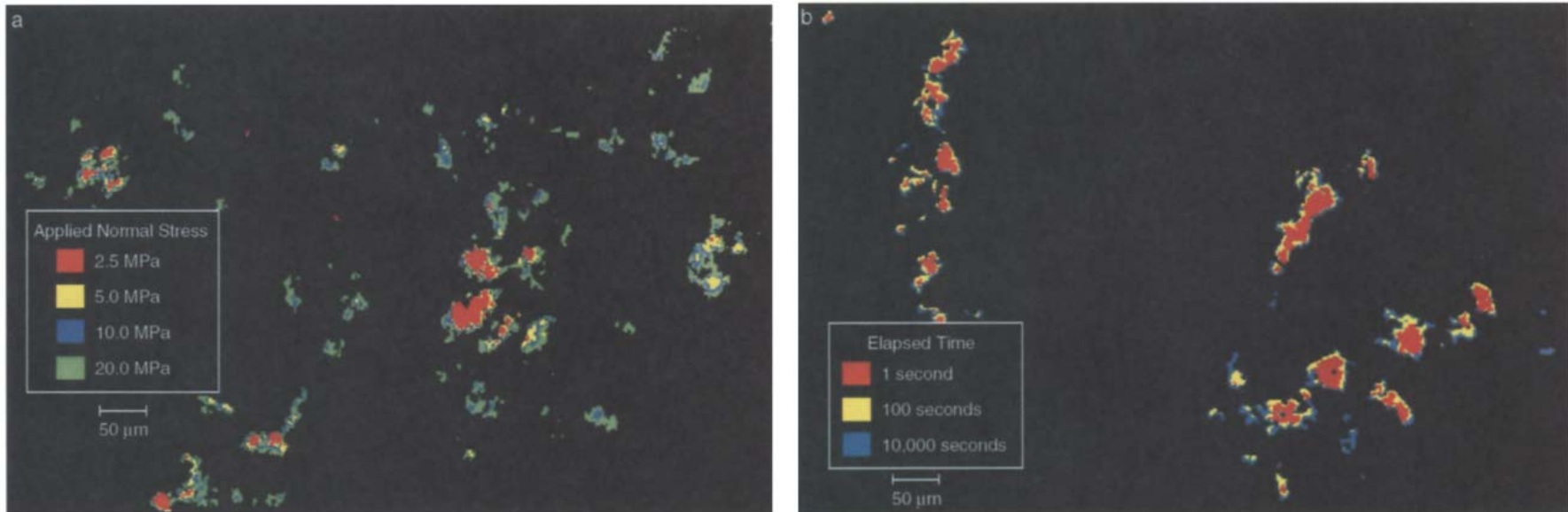


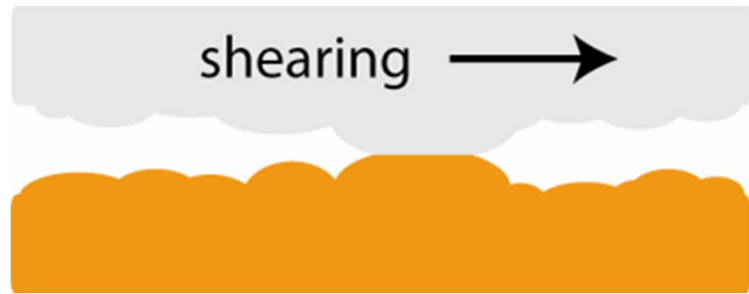
Figure 2

Schematic representation of roughened sliding surfaces. Light transmitted through the sliding blocks is scattered except at contacts.

Direct observation of contact area – acrylic plastic



Shearing, plastic deformation, and friction



$$A = \frac{F_N}{y}$$

$$F_L = \tau \cdot A$$

$$\mu = \frac{F_L}{F_N} = \frac{\tau \cdot \frac{F_N}{y}}{F_N} = \frac{\tau}{y}$$

y – Yield strength
 τ – Shear strength

$$\mu = \frac{\text{shear strength}}{\text{yield strength}}$$

Metals: $\mu = 0.4 - 0.6$

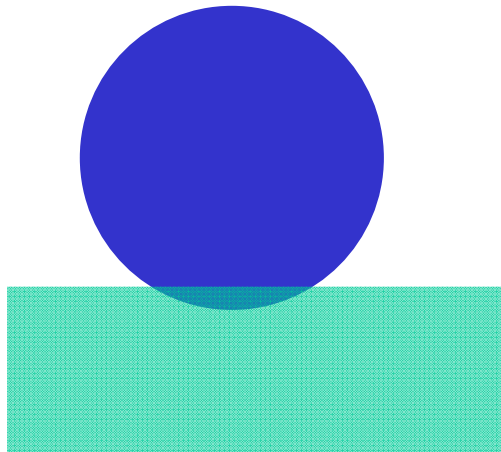
Shearing, elastic deformation, and friction



Elastic deformation described by contact mechanics

Hertz model

- sphere on flat
- no adhesion

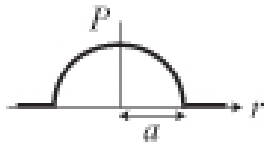
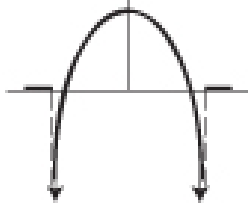
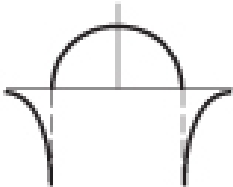
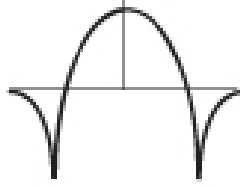
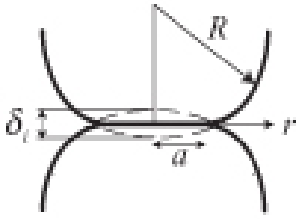
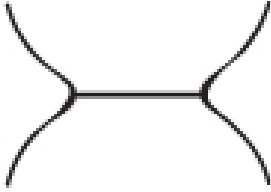
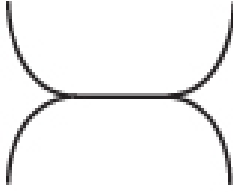
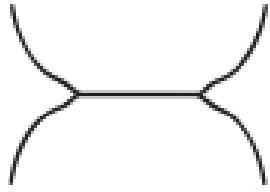

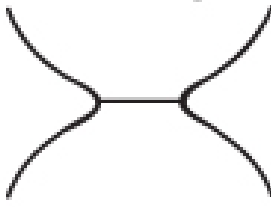
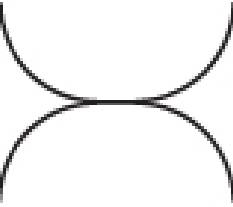
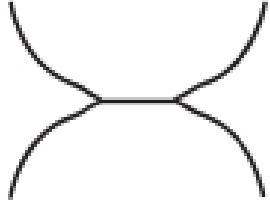


$$A = \pi \left(\frac{3 R}{4 E^*} \right)^{2/3} F_N^{2/3}$$

E^* - Effective modulus of both materials

$$F_L \propto F_N^{2/3}$$

Description of contacts

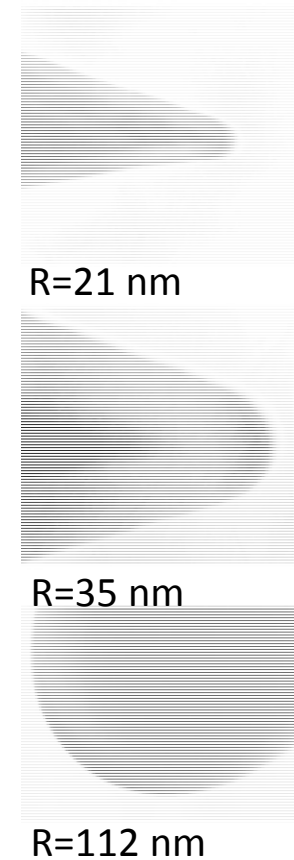
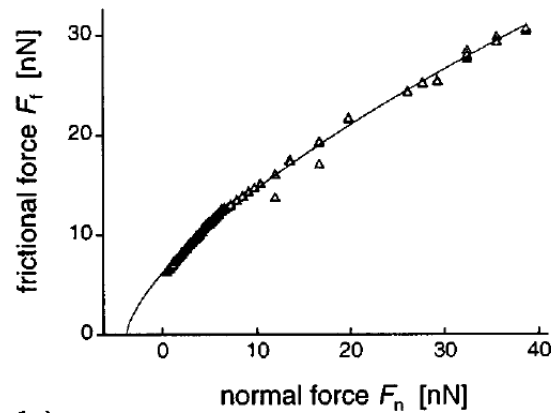
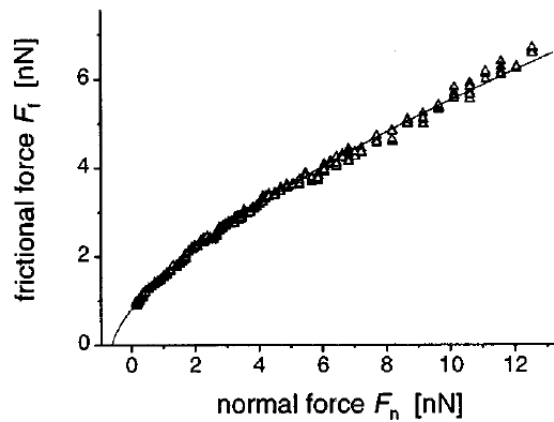
Hertz	JKR	DMT	Maugis
Stress distribution under compressive load			
			
Shape under compressive load			
			
Shape under zero load			
			
Adhesion Force			
0	$3\pi\gamma R$	$4\pi\gamma R$	$(3-4)\pi\gamma R$

Contact mechanics with adhesion

JKR-model
$$A = \pi \left(\frac{3 R}{4 E^*} \right)^{2/3} (F_N + 3\Delta f R + \dots)^{2/3}$$

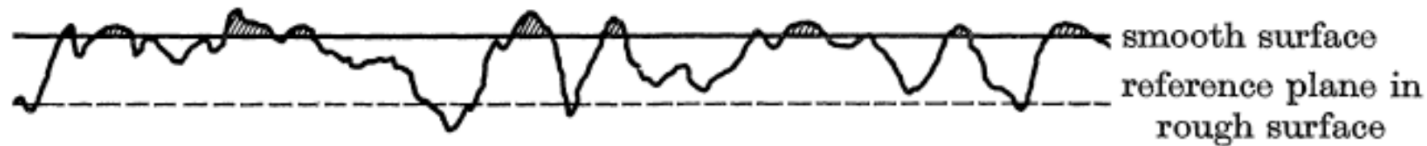
Δf – work of adhesion

Conflicts with classical friction law



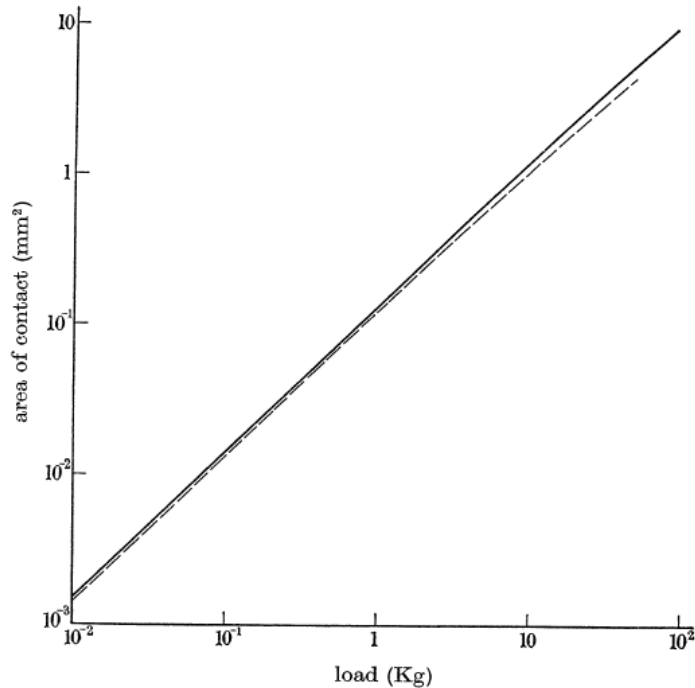
Contact of nominally flat surfaces

BY J. A. GREENWOOD AND J. B. P. WILLIAMSON



Gaussian distribution of asperity heights

The experimental results which follow show that for many surfaces the height distribution is Gaussian to a very good approximation. We have, therefore,

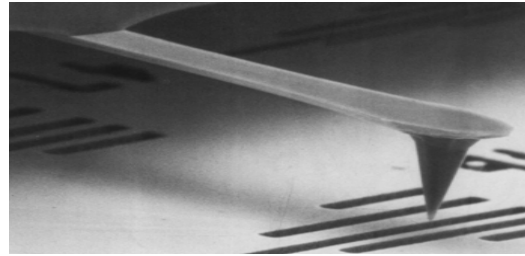
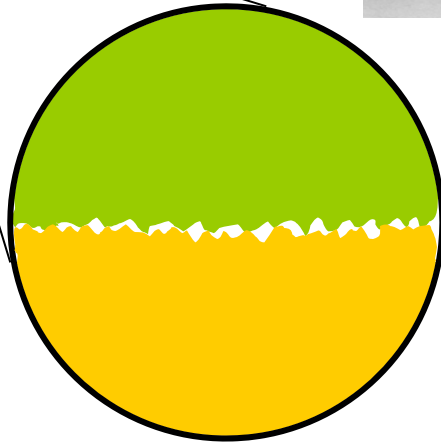


For single asperities: $F_L \propto F_N^{2/3}$

Classical friction law: $F_L \propto F_N^1$

Problem solved by regarding
contact surfaces as Gaussian
distribution

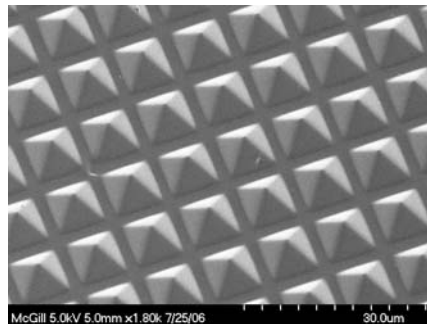
Nanotribology - Reducing complexity



- o **Experiments:**
Scanning Force Microscopy
Multi-scale Tribometry

- o **Control of Material:**
Surface Science
Electrochemistry
Micro-structuring

- o **Modelling:**
Molecular dynamics
Multiscale approaches

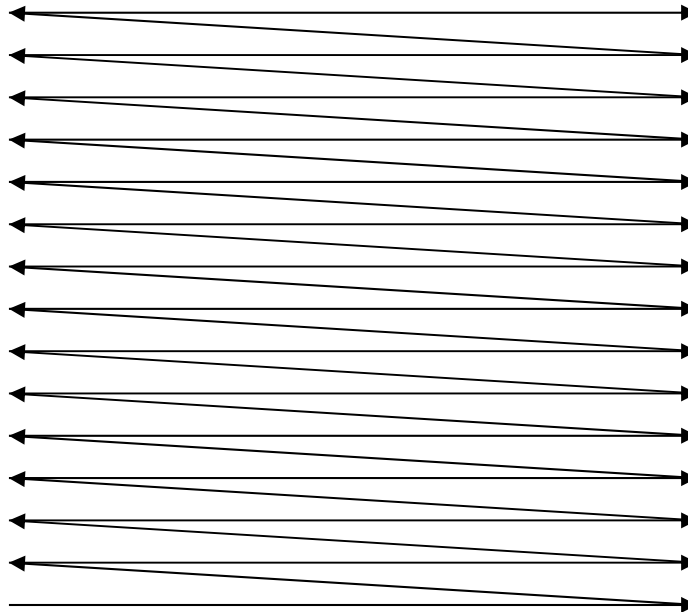


Scanning force microscopy

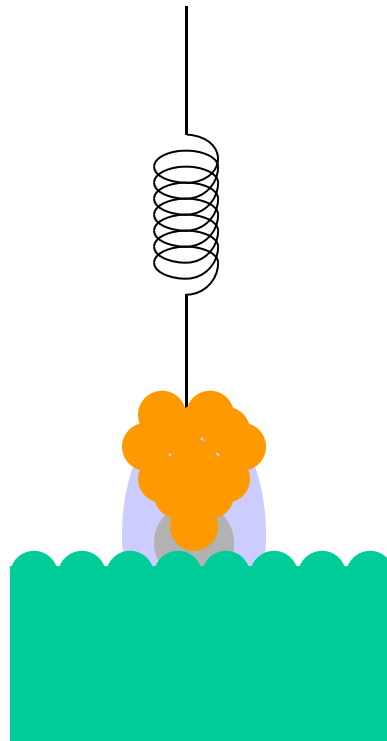
usually known as AFM
(atomic force microscopy)

Scanning ...

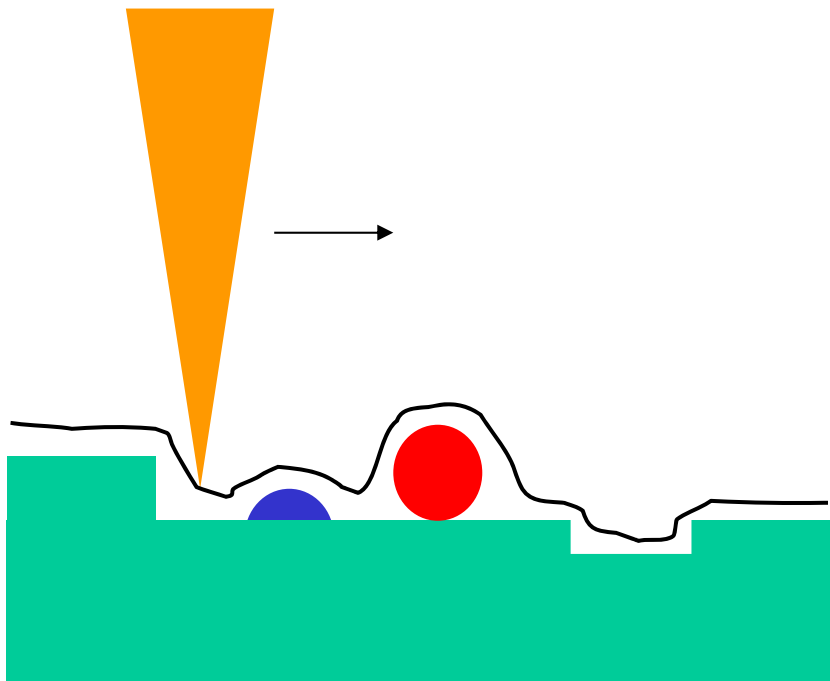
Probe is moved along scan lines over a sample surface



... Force ...



... Microscopy

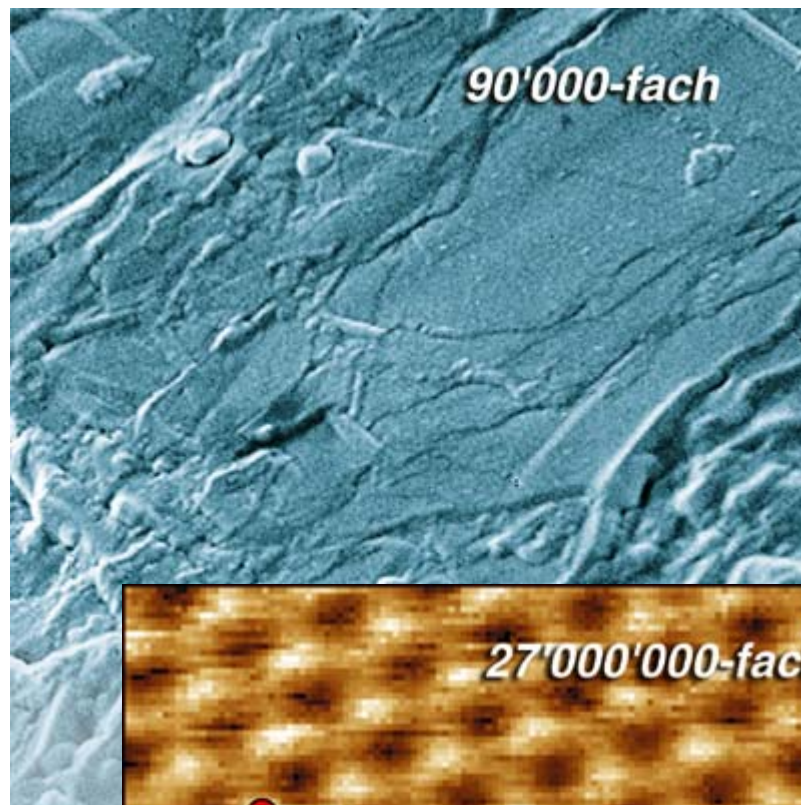


**Data are recorded as a
function of lateral position.
Display and analysis with help
of computer.**

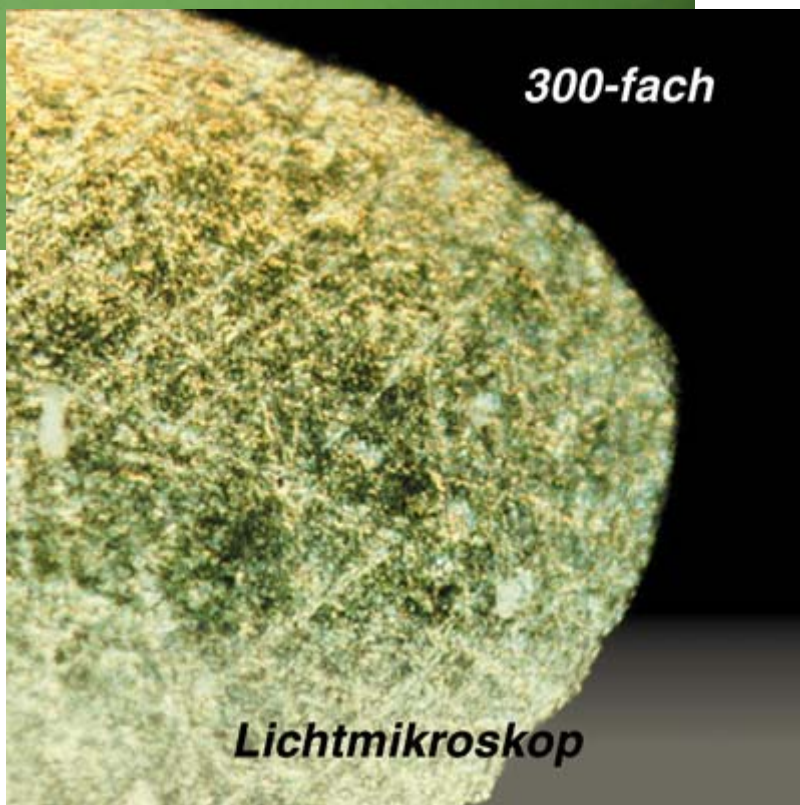
Originalgrösse



90'000-fach

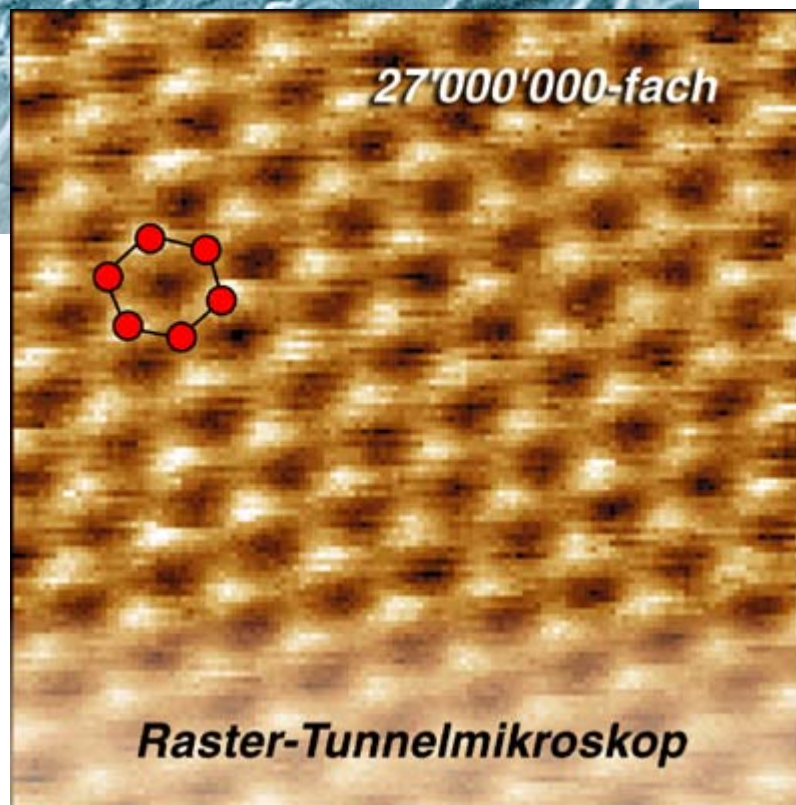


300-fach



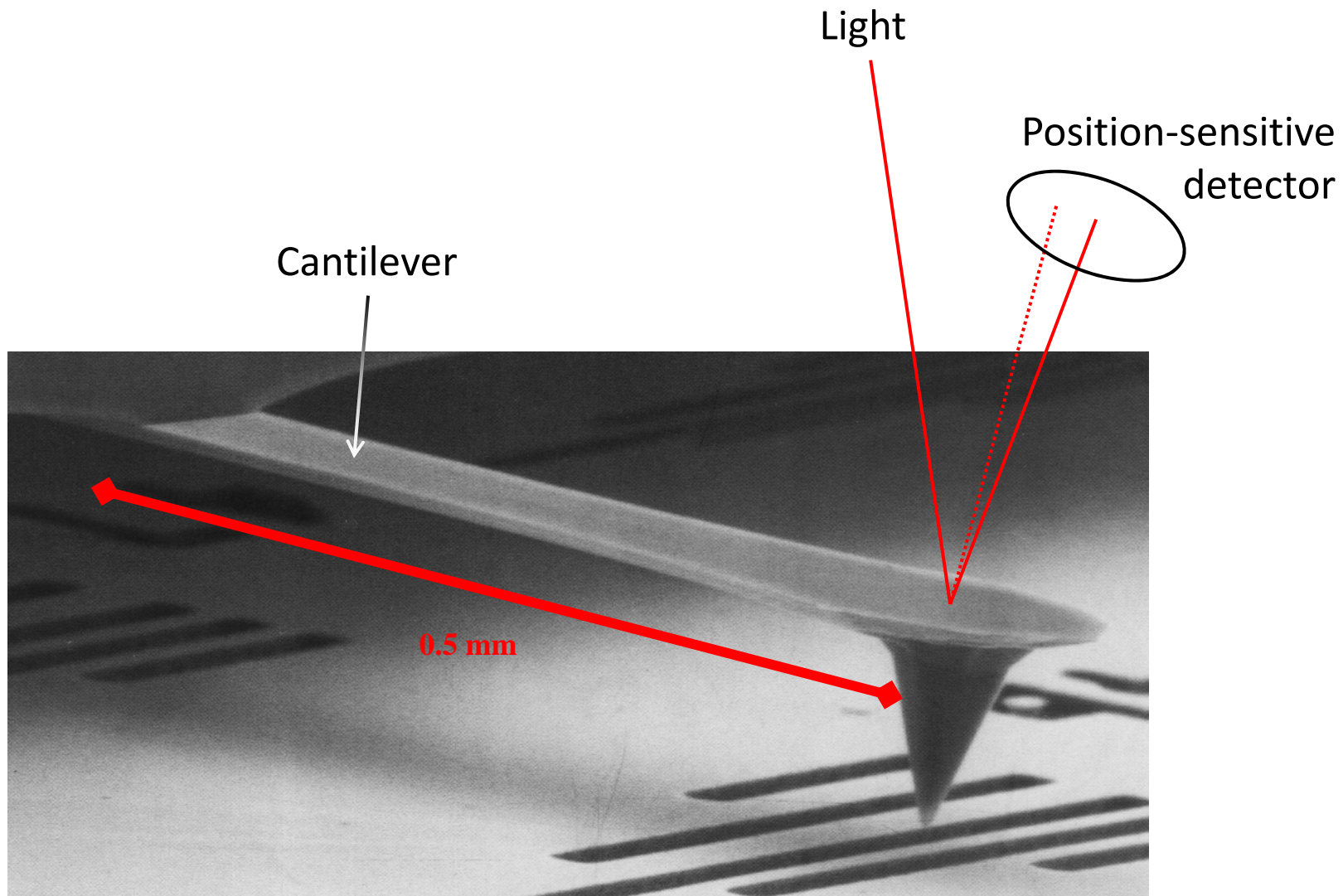
Lichtmikroskop

27'000'000-fach



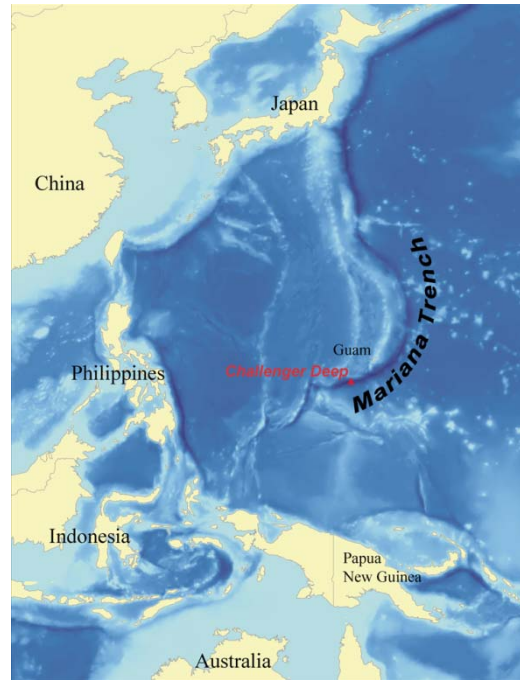
Raster-Tunnelmikroskop

Essential parts of an AFM





~ 500 kPa



~ 110 MPa

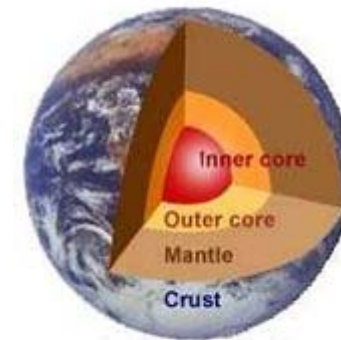


AFM tip on surface

$$P = \frac{F}{A}$$

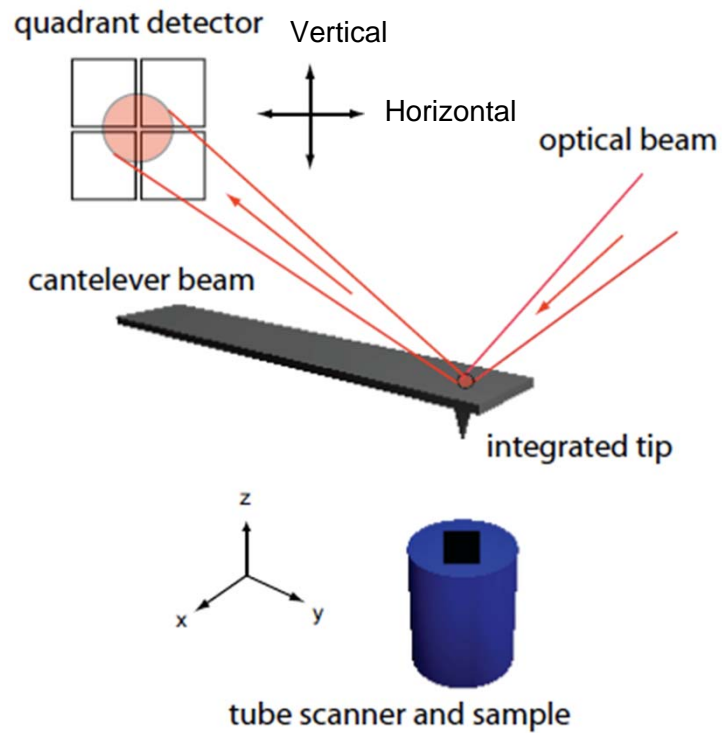
$$P = \frac{10 \text{ nN}}{1 \text{ nm}^2}$$

$$P = 10 \text{ GPa}$$

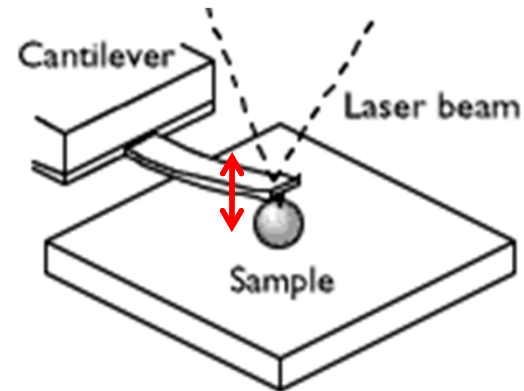


~ 360 GPa

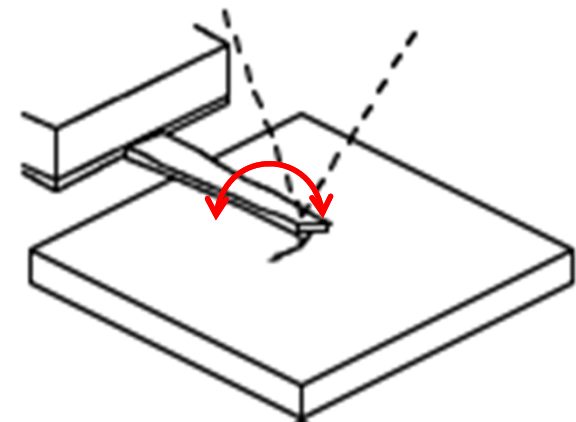
Normal and lateral force measurement



normal deflection



lateral deflection



Forces

Q: Where in nature do you experience a force of 1 N?

Q: What force (in N) does one measure in an atomic force microscope?

What is a NanoNewton?

What is 1 Newton?

A chocolate-oriented unit for force.

Nanoscience of chocolate?

1 bar are 100 cm^3 or 10^{23} nm^3

Weight of 1 nm^3 is 10^{-23} nN (=0)

Binding forces in chocolate

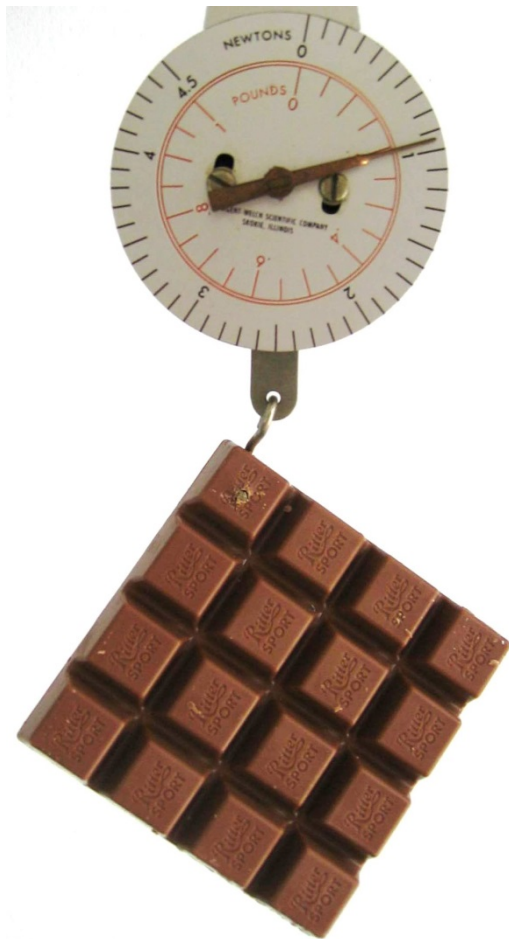
Cross-section 1 cm^2 or 10^{14} nm^2

Weight carried 4 kg

Rupture force $4 \times 10^{-13} \text{ N/nm}^2$

PicoNewton describe molecular forces in softer materials.

NanoNewton describe molecular forces in harder materials

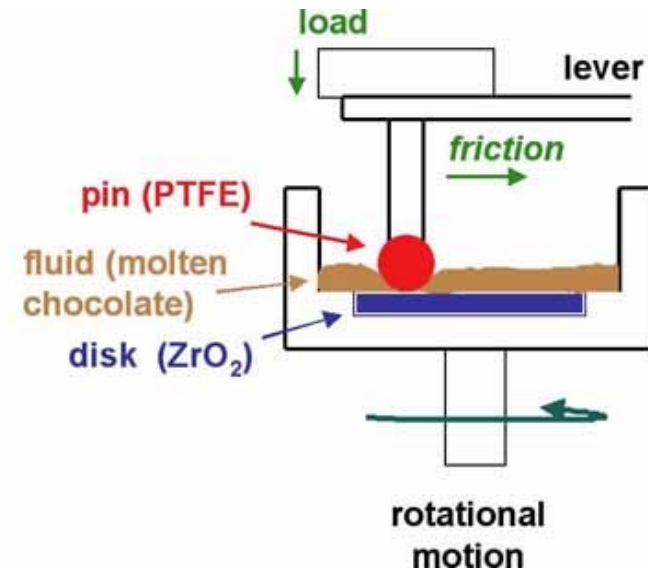


A tribological model for chocolate in the mouth: General implications for slurry-lubricated hard/soft sliding counterfaces

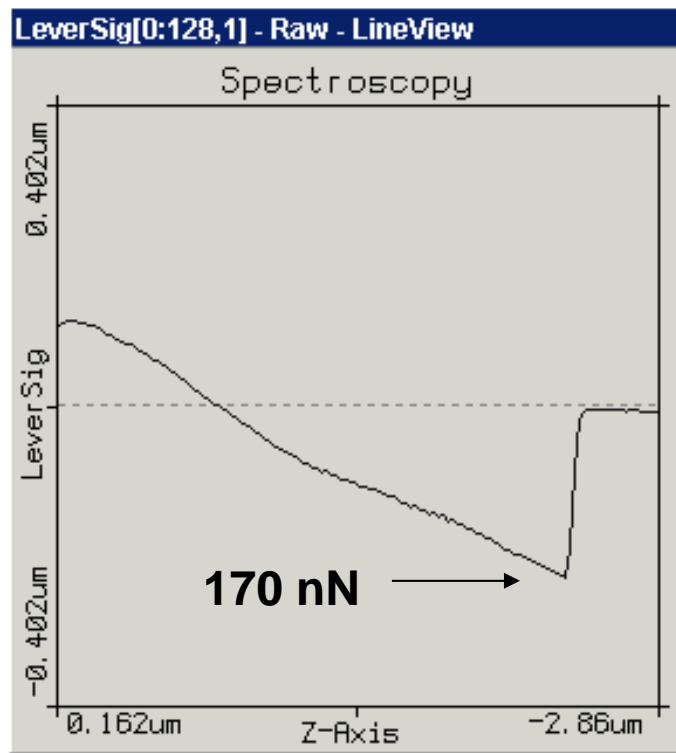
Seunghwan Lee^a, Manfred Heuberger^a, Philippe Rousset^b and Nicholas D. Spencer^{a,*}

^aLaboratory for Surface Science and Technology, Department of Materials, Swiss Federal Institute of Technology (ETH), Zürich, CH-8092, Switzerland

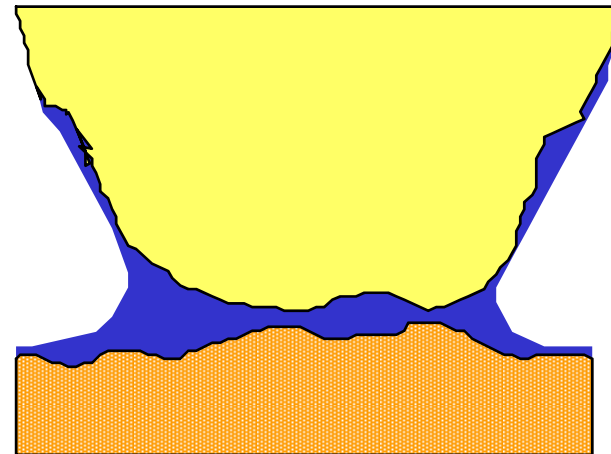
^bNestlé Research Center, Department of Food Science and Process Research, Vers-chez-les-Blanc, 1000 Lausanne 26, Switzerland



Adhesion - how water disturbs

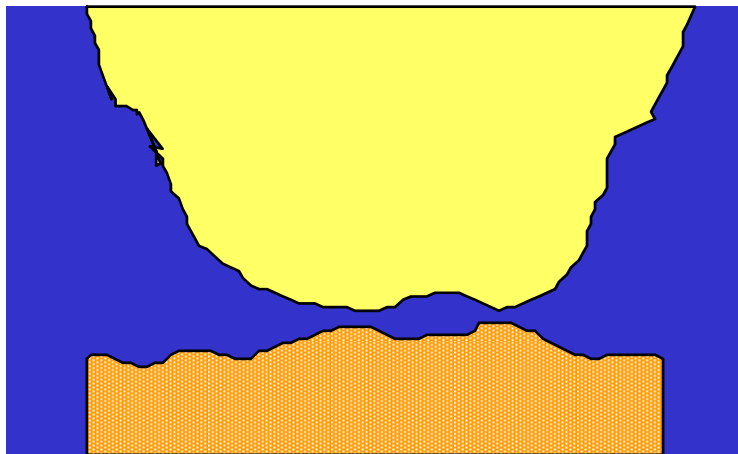


Force vs. distance curve

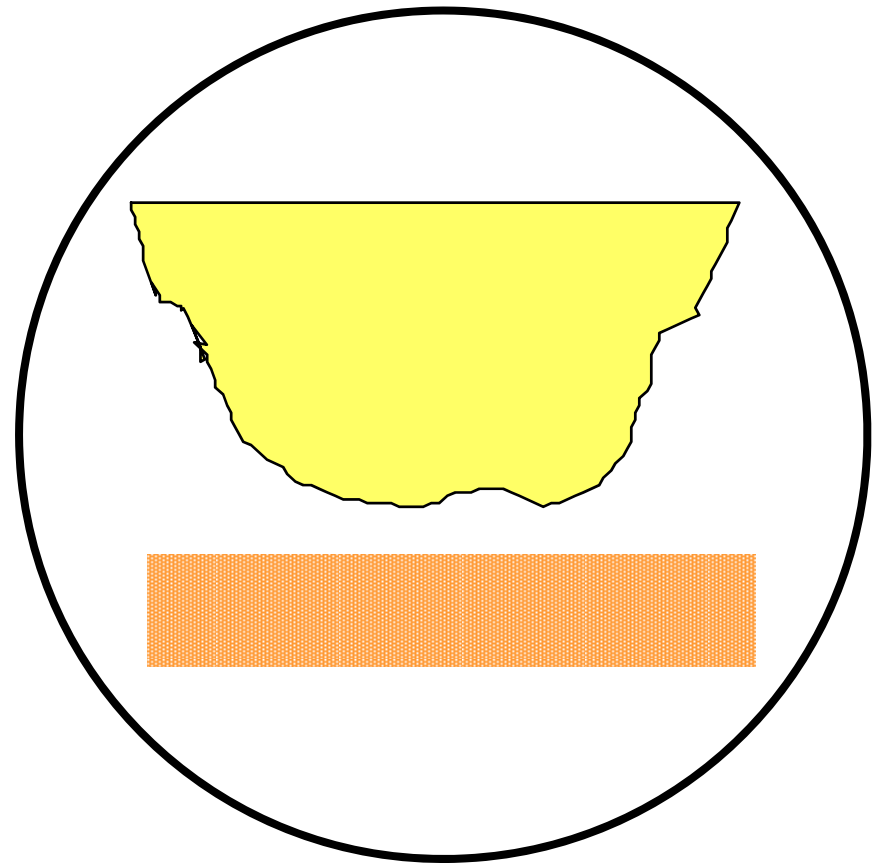


Capillary force

Way out of experimental physics



Measurements in water



... or in vacuum

Relevant forces

- **short-range repulsive forces (Pauli exclusion) or ionic repulsion forces**
- **short-range chemical binding forces**
- **van der Waals forces (always present, retarded beyond 100 nm)**
- **electrostatic forces (long-ranged)**
- **magnetic forces**

- **interaction in liquids**
 - hydrophobic / hydrophilic forces
 - steric forces
 - solvation forces

Literature:

J. Israelachvili

Intermolecular and Surface Forces with Applications to Colloidal and Biological Systems, Academic Press (1985)

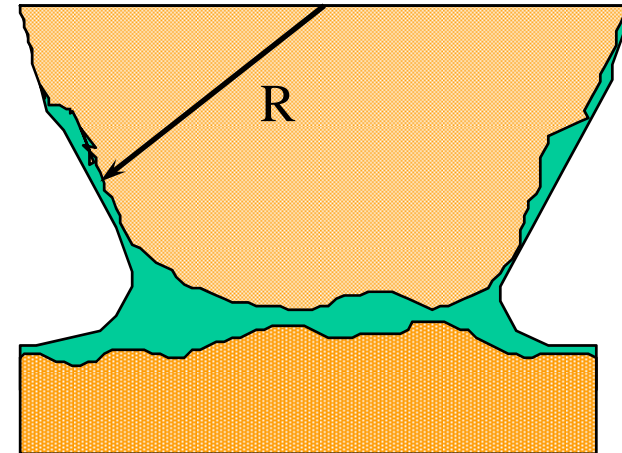
Capillary forces

$$F_{\max} = 4 \pi R \gamma \cos(\Theta)$$

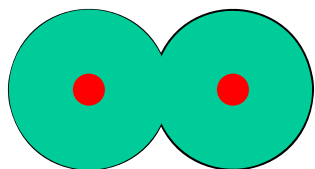
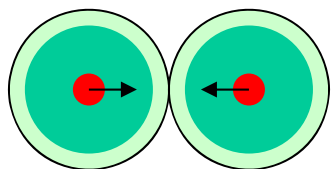
$$\gamma (\text{H}_2\text{O}) = 0.074\text{N/m} \quad R=100\text{nm}$$

Contact angle for hydrophilic surfaces $\Theta \approx 0^\circ$

$$\Rightarrow F_{\max} = 90\text{nN}$$

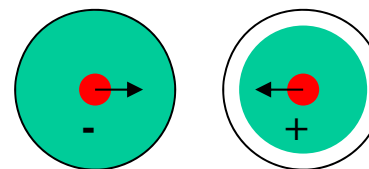


Atomic Forces

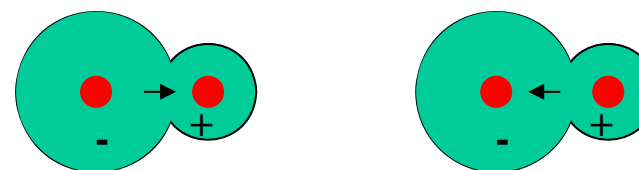


Chemical bond

**Repulsion upon
overlap of electrons**

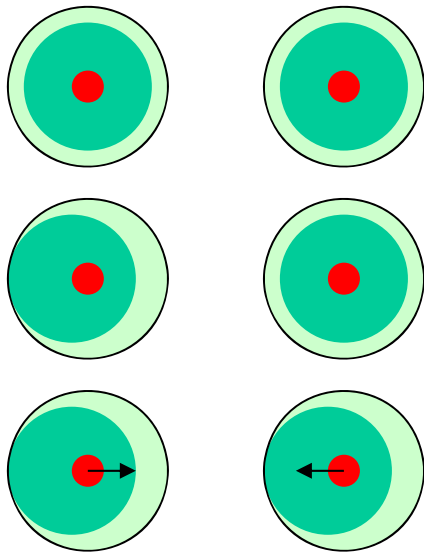


Ionic attraction



Dipole attraction

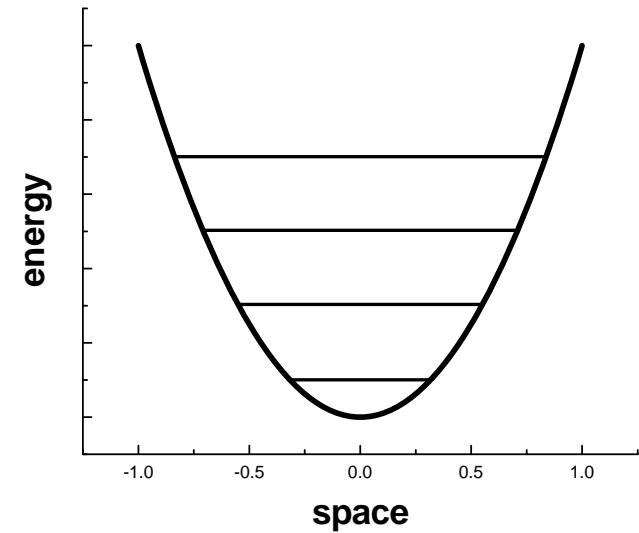
Van der Waals Force



Two neutral atoms

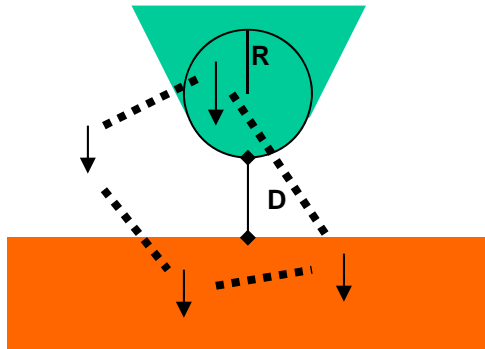
**Dipole fluctuation:
Unavoidable in
quantum mechanics**

Induced dipole



Range limited to 10 nm due to retardation effect.

Van der Waals forces between tip and sample



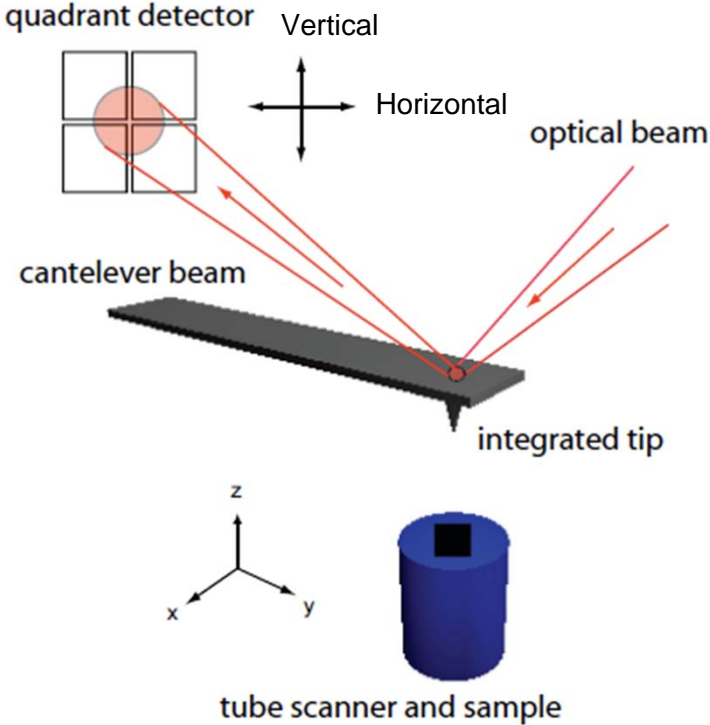
**Integration of mutual
interactions**

**Force between the tip and surface can
be approximated as force between a
ball of radius R and a surface at
distance D:**

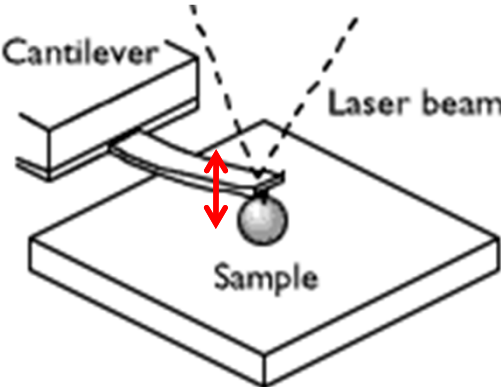
$$F = -\frac{AR}{6D^2}$$

**Hamaker constant A is material
dependent and of the order of 10^{-19} J.**

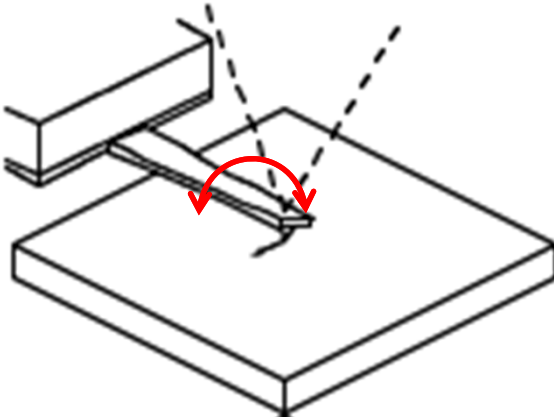
Friction force microscopy Lateral force microscopy



normal deflection

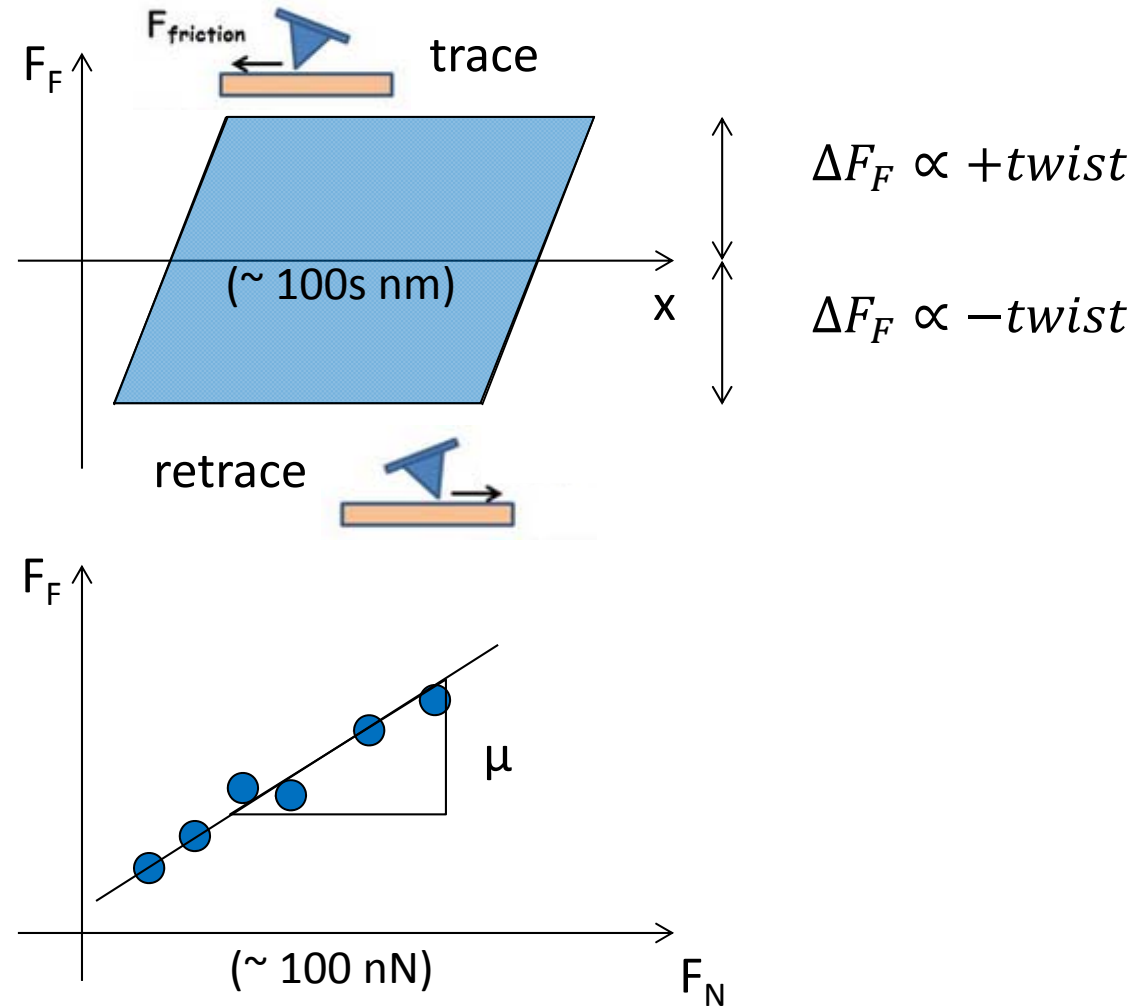


lateral deflection



Friction loop

For a preset loading force F_N



Friction Force Microscopy

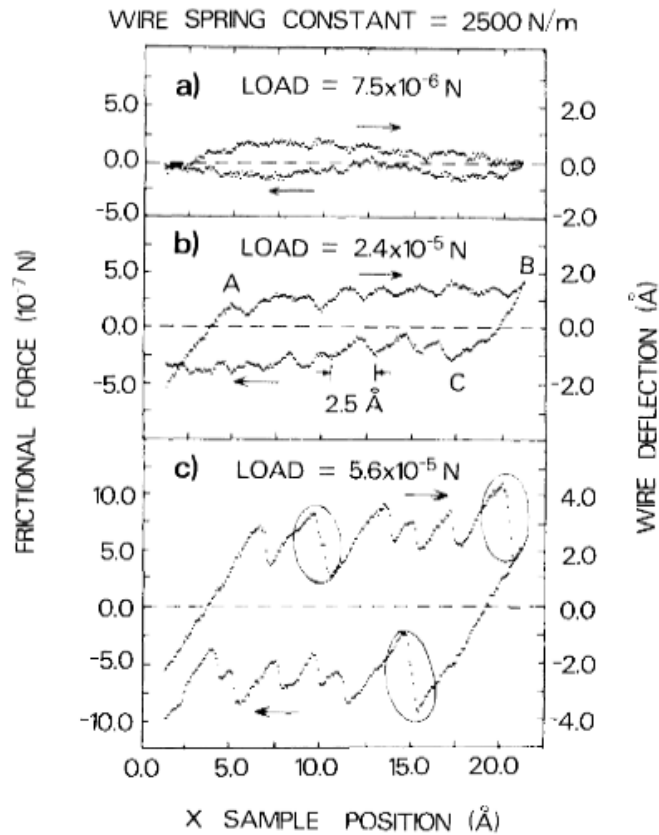


FIG. 2. The wire deflection parallel to the surface and the corresponding frictional force on the tip as a function of sample position for three different loads. The circled sections in (c) indicate where double slips occur.

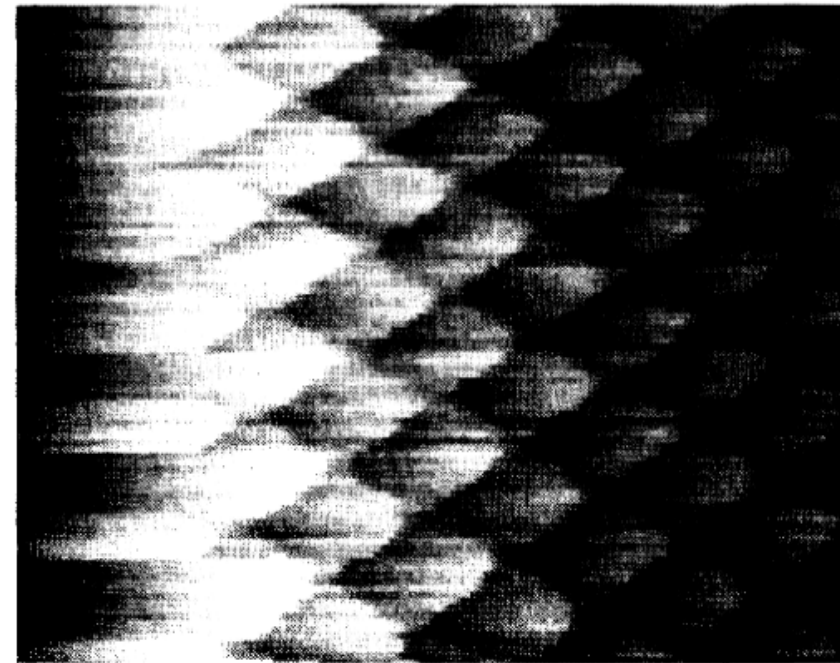


FIG. 3. The frictional force in the x direction as a function of x and y . The intensity of the image is scaled to the frictional force with the bright areas corresponding to a high force. The full-scale change from dark to bright corresponds to 1.8×10^{-6} N. Only scans in left-to-right direction are shown. The size of the image is 20 by 20 \AA^2 with no correction for distortion from the piezoelectric scanners. The load on the tip is 5.6×10^{-5} N, and the wire spring constant is 2500 N/m.

Friction Force Microscopy

